The Limit Cycle of a Contact Line

Nathan C. Keim Cal Poly San Luis Obispo



Undergraduates: Dani Medina Aidan McGuckin Audrey Profeta Brian Kroger Jenny Smit Esmeralda Orozco Juan Ortiz Salazar



CSU RSCA Grant; CSU LSAMP; Bill & Linda Frost Fund





Stroboscopic Imaging



Pictures taken at the red circles

One frame per cycle



Cyclic driving is ubiquitous



- Can change systems that don't relax
- Can form memories
- Can reveal new behaviors & prompt new questions

Use amorphous solids to develop these ideas

Keim & Nagel PRL 2011 Keim & Arratia PRL 2014 Keim *et al.* in preparation

2D Amorphous Solid

Polystyrene microspheres 3.8, 5.8 µm



Aveyard, Clint, Nees, & Paunov. Langmuir (2000) Masschaele et al., Phys. Rev. Lett. (2010)



Long-range repulsion
→ Mechanically over-constrained (jammed)
Particles not touching
Negligible thermal motion

Keim & Arratia, Soft Matter 2013

Shear at 0.05 Hz Strain amplitude 0.055



Find rearrangements



Falk & Langer Ann Rev CMP 2011, Keim & Arratia, PRL 2014; Soft Matter 2015

Find rearrangements



github.com/nkeim/philatracks Falk & Langer Ann Rev CMP 2011, Keim & Arratia, PRL 2014; Soft Matter 2015

Self-Organization in Jammed Solid



Keim & Arratia, Soft Matter (2015)

Self-Organization in Jammed Solid



Keim & Arratia, Soft Matter (2015)

Steady State = repeating rearrangements



Steady State = repeating rearrangements



Steady State = repeating rearrangements



Reading out a memory



Kinetics of rearrangements consistent with return-point memory

Arises from hysteretic subsystems + cooperative interactions



Large strain amplitude → Too many subsystems + interactions → Depinning → No periodic steady state

Are these ideas relevant to contact line?

Keim *et al.*, in preparation Regev *et al.* Nat Comms (2015)



Stroboscopic Imaging



Pictures taken at the red circles

Approach to steady state



Transition from Periodic to Fluctuating



Transition from Periodic to Fluctuating



Binary difference images show transition



Disordered landscape of pinning & wetting

Maximal extent at each amplitude 1 µL increments

1 mm

Contact line is rich in hysteresis



Cooperative interactions

de Gennes, Rev. Mod. Phys. (1985)

Below critical amplitude,

- I. **Pinning:** Below critical amplitude, discrete jumps mean system is trapped in finite set of states
- 2. **Self-organized limit cycle:** Each piece of the contact line stops changing when its motion becomes periodic.

Coppersmith, Phys. Rev. A (1987) Regev et al., Nat. Comms. (2015) Keim & Arratia, PRL (2014) Below critical amplitude,

- I. **Pinning:** Below critical amplitude, discrete jumps mean system is trapped in finite set of states
- 2. Self-organized limit cycle: Each piece of the contact line stops changing when its motion becomes periodic.

Above critical amplitude,

- Jumps encourage more jumps, depinning large regions
- System "flows" among many more states
 - \rightarrow Never periodic.

Coppersmith, Phys. Rev. A (1987) Regev et al., Nat. Comms. (2015) Keim & Arratia, PRL (2014)

Memory?

Conclusions

- Contact line motion has self-organized limit cycles, memory
 - "Depinning physics" at its most literal.
- Could comparison w/ other systems tell us about microscopic physics?



Thanks: Tom Bensky, Andrew Cantino, Sid Nagel, Joey Paulsen, Kevin Thompson Supported by NSF DMR-1708870 and PHY-1748958, the Bill and Linda Frost Fund, CSU LSAMP, and CSU RSCA.